



Modern Methods in Heterogeneous Catalysis Research



Diffuse Reflectance Spectroscopy in Heterogeneous Catalysis

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Outline



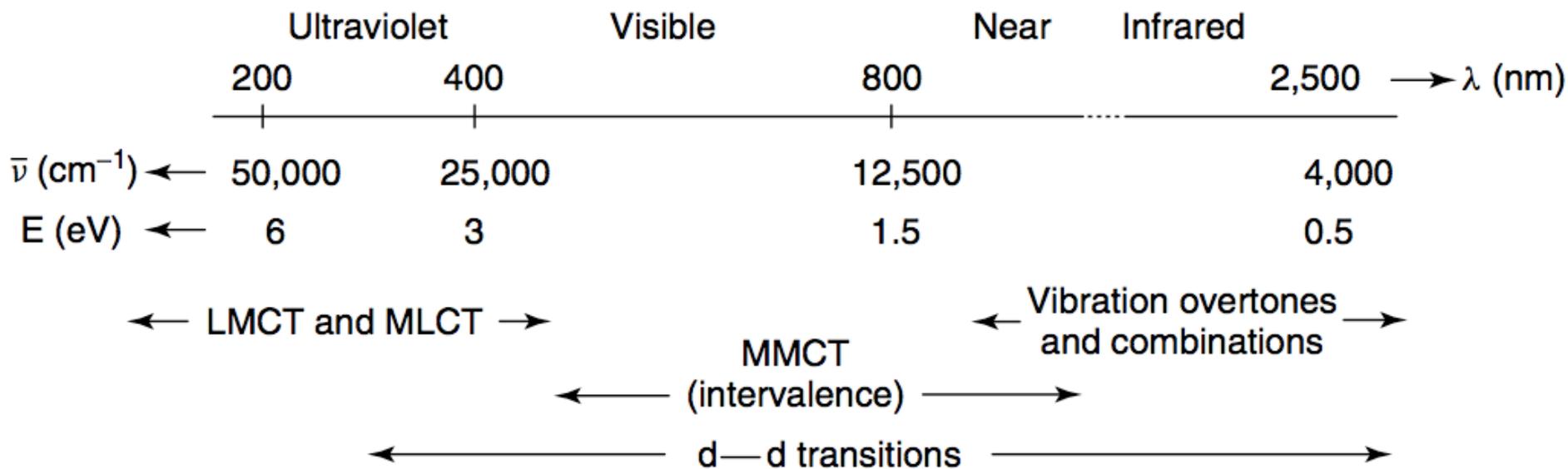
1. Some theory
2. Technical solutions
3. Applications

Outline



1. Some theory
2. Technical solutions
3. Applications

Electromagnetic spectrum and transitions in molecules



Z. Sojka et al. Handbook of Heterogeneous Catalysis, Chapter 3.2.3.2

LMCT ligand-to-metal-charge-transfer

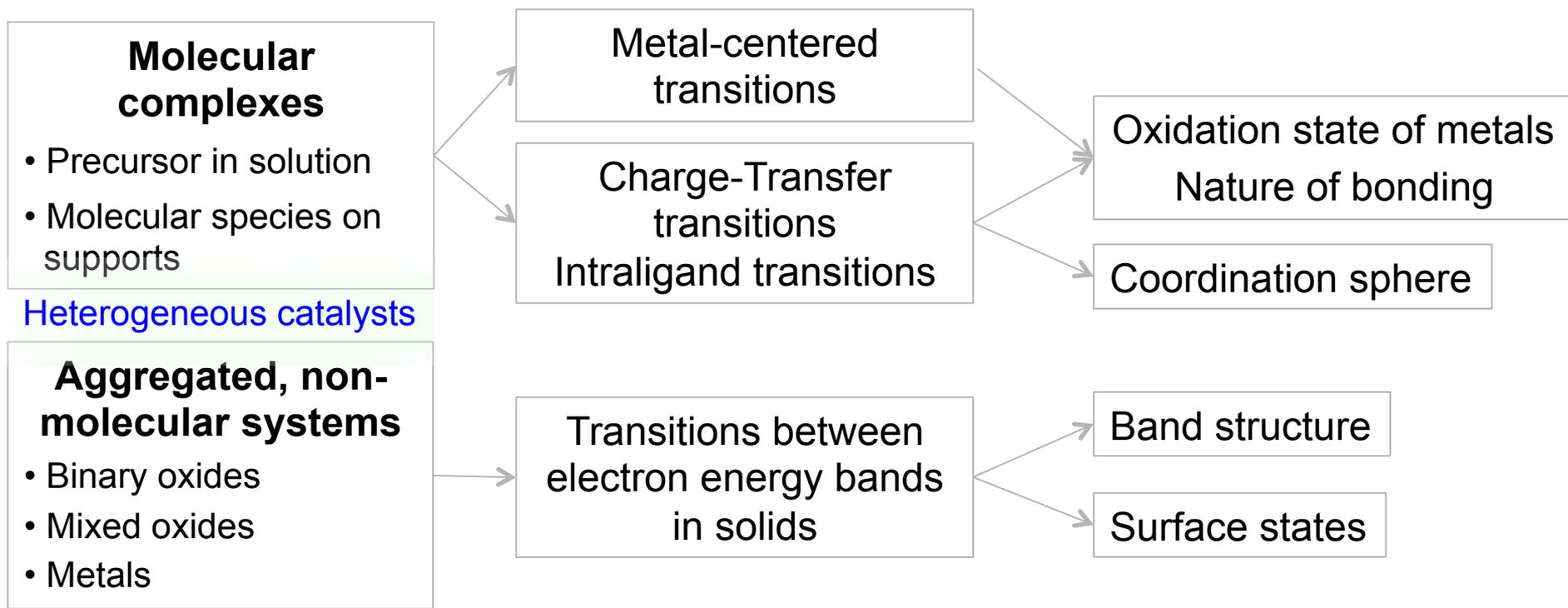
MLCT metal-to-ligand-charge-transfer

MMCT metal-to-metal-charge-transfer

Spectroscopy using UV-visible-NIR light

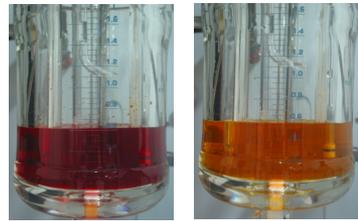
What can we learn from UV-vis-NIR spectroscopy in heterogeneous catalysis?

The spectrum is a function of the physical-chemical properties of the absorbing / emitting system



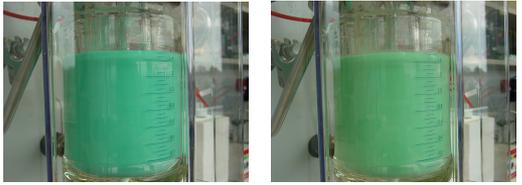
Investigations in heterogeneous catalysis using UV-visible-NIR light

- Analysis of precursor solutions



→ **Transmission spectroscopy (TS)**

- Interactions of precursor solutions with supports



→ **Fiber optics**

- Precipitation and aging

- Structure and dispersion of supported species

- Chemical changes during thermal treatment and reaction

- Particle size

- Band gap of semiconductors

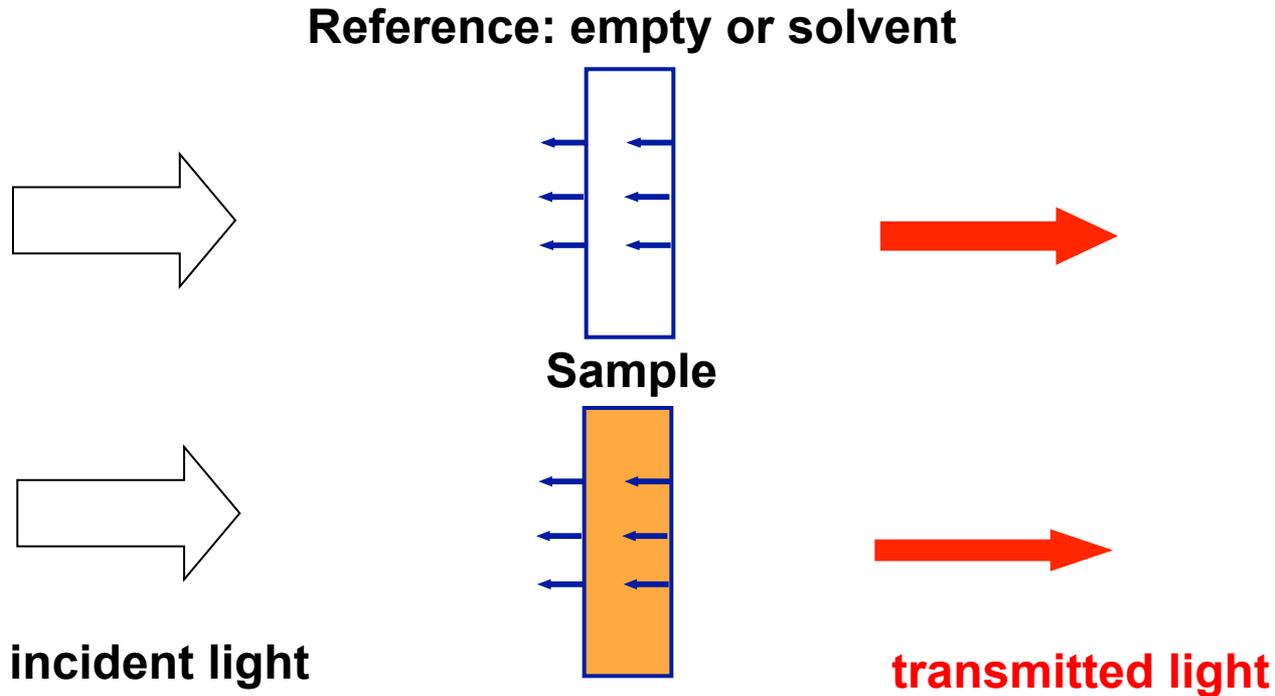
- Nature of adsorbed species (intermediates, spectators or poison)



→ **Diffuse reflectance spectroscopy (DRS)**



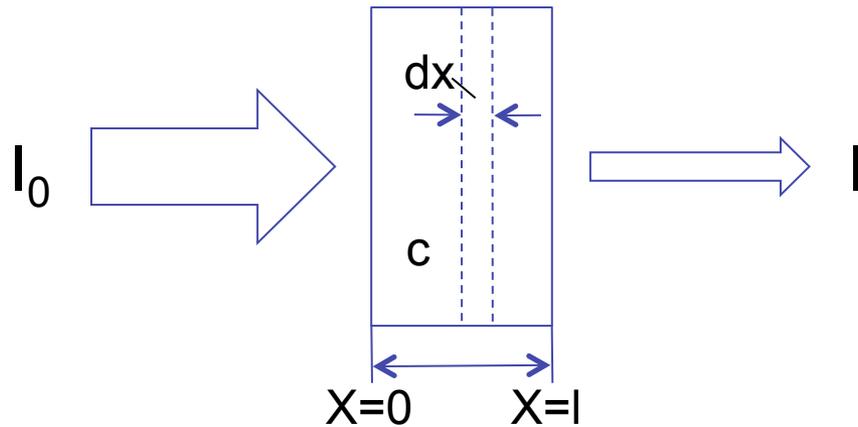
Interaction of light with a solution in transmission



reflection at phase boundaries

- Fraction of reflected light can be eliminated through reference measurement with same materials (cuvette+ solvent)

Transmitted light and absorption properties



τ : transmittance

α : absorptance

$$\tau_{\lambda} = \frac{I}{I_0} \quad \alpha_{\lambda} = \frac{I_0 - I}{I_0} \quad \tau_{\lambda} = 1 - \alpha_{\lambda}$$

$$dI = -I \kappa c dx$$

decrease of I in an infinitesimally thin layer

c: molar concentration of absorbing species [mol/m^3]

κ : the molar napierian extinction coefficient [m^2/mol]

$$\int_{I_0}^I \frac{dI}{I} = - \int_{x=0}^{x=l} \kappa c dx$$

separation of variables and
integration over sample thickness l

Transmitted light and absorption properties



$$\tau_{\lambda} = \frac{I}{I_0} = e^{-\kappa c l} = 1 - \alpha$$

Lambert-Beer Law

$$\ln\left(\frac{I}{I_0}\right)_{\lambda} = A_e = \kappa c l = -\ln(\tau)$$

napierian absorbance
Napier-Absorbanz

$$\log e = 0.434$$

$$A_{10} = \varepsilon c l = -\log(\tau) \equiv E$$
$$\varepsilon = 0.434\kappa$$

(decadic) absorbance
dekadische Absorbanz

standard spectroscopy software uses A_{10} !

extinction E (means absorbed + scattered light (negligible in solutions))
absorbance A (A_{10} or A_e)

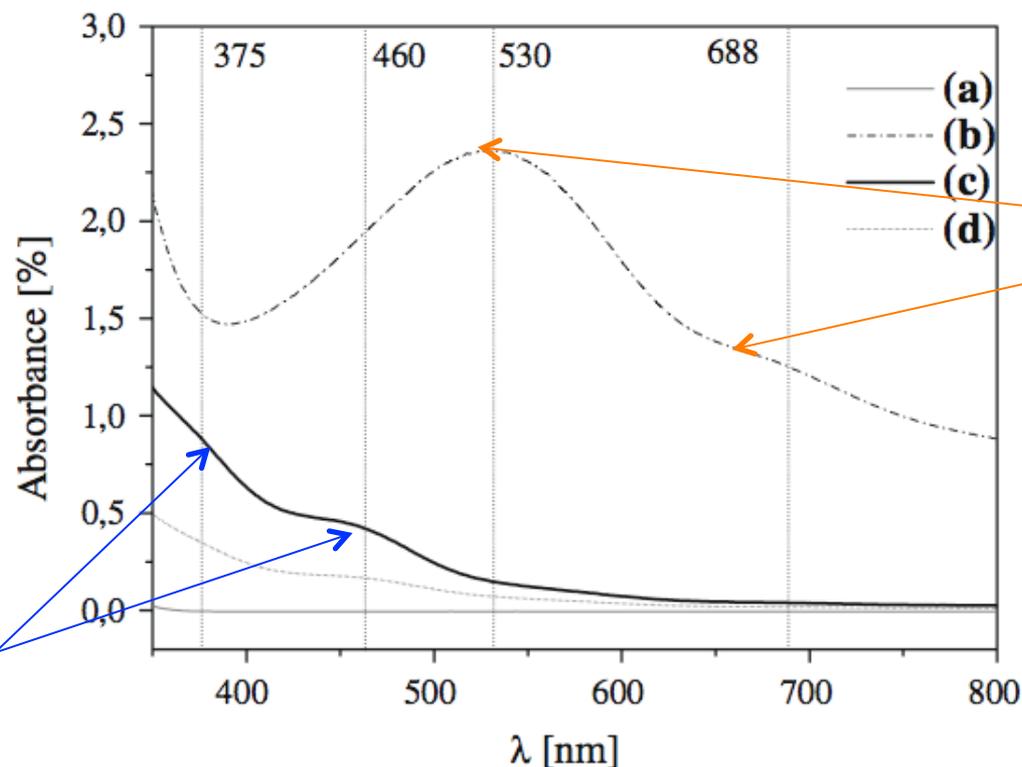
These quantities are DIMENSIONLESS !!!!

Valid only in diluted solutions $c < 0.01$ mol/l

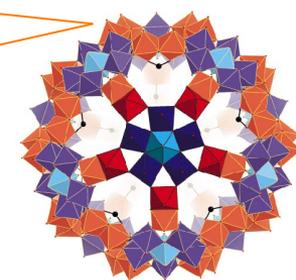
Study of precursor solutions in catalyst synthesis



Investigation of precursor solutions and mother liquor during synthesis of a complex MoVTenb oxide by hydrothermal synthesis



Precursor solution



Filtrate
(mother liquor)

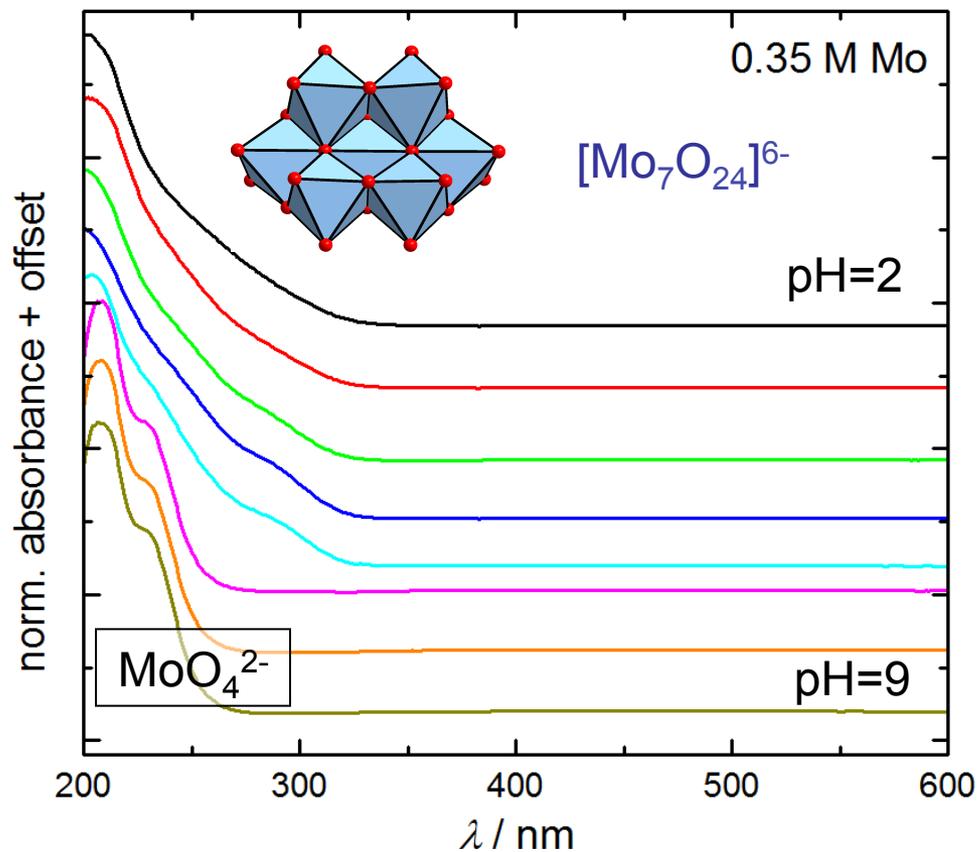
Mo^{VI}Mo^V
Molybdenum blue
and
[Te(Mo,V)₆O₂₄]ⁿ⁻

Fig. 2 UV/Vis spectra of aqueous solutions of (a) $(\text{NH}_4)_6\text{Mo}_7\text{O}_{24} \cdot 4\text{H}_2\text{O}$ (298 K, pH = 5.2, [Mo] = 0.3 M), (b) $(\text{NH}_4)_6\text{Mo}_7\text{O}_{24} \cdot 4\text{H}_2\text{O} + \text{VOSO}_4 \cdot 5\text{H}_2\text{O}$ (T = 298 K, pH = 3.05, [Mo] = 0.3 M, molar ratio Mo/V = 1/0.25), (c) MoVTe filtrate, and (d) MoVTenb filtrate

Study of precursor solutions in catalyst synthesis



Condensation of Mo oxo ions in aqueous solutions
Measurements Sabrina Jung, data analysis required

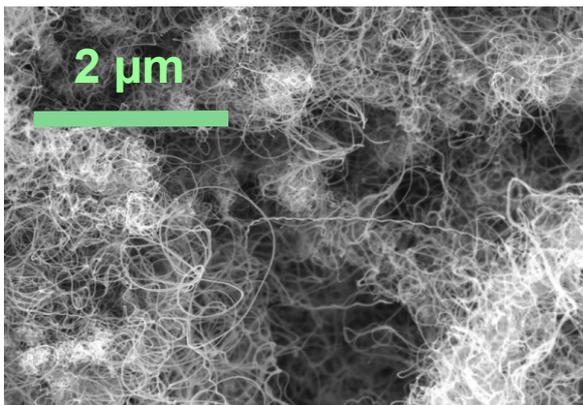


Anal. Chem. 1988, 60,2055-2059.

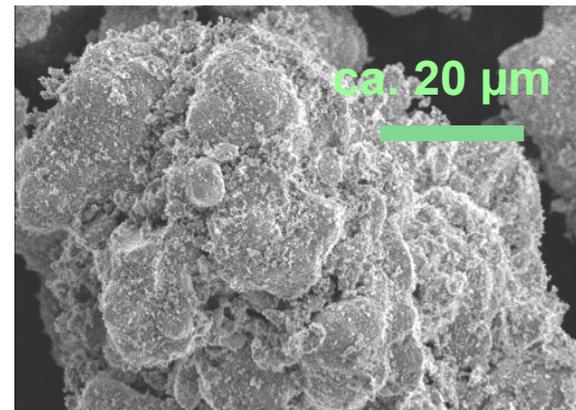
Solid catalysts are mainly powders - typical catalyst particles



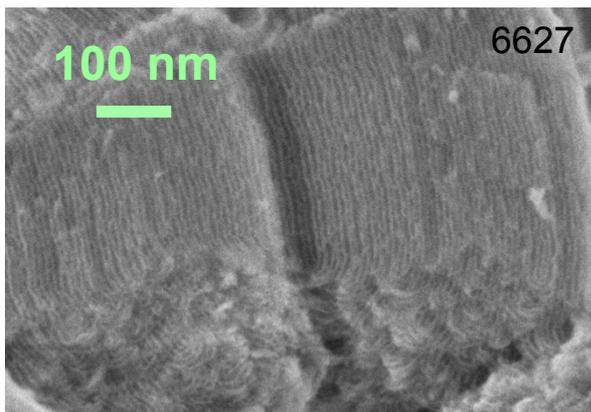
MWCNT



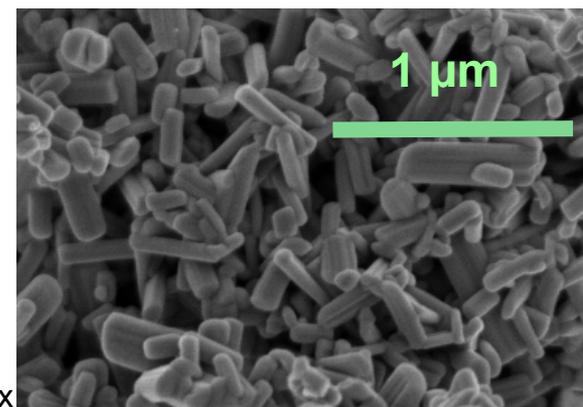
ZrO₂



SiO₂



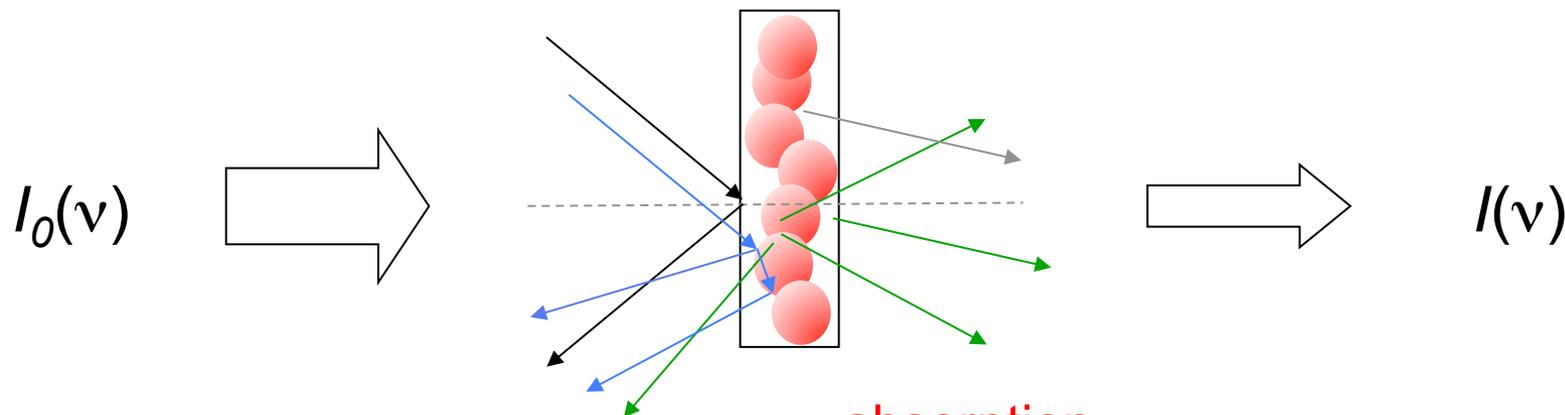
MoVTeNbO_x





Interaction of light with solid matter in transmission

light source Pressed disk of powdered sample detector



specular reflection

diffuse reflection:
multiple reflection at
phase boundaries

refraction

absorption

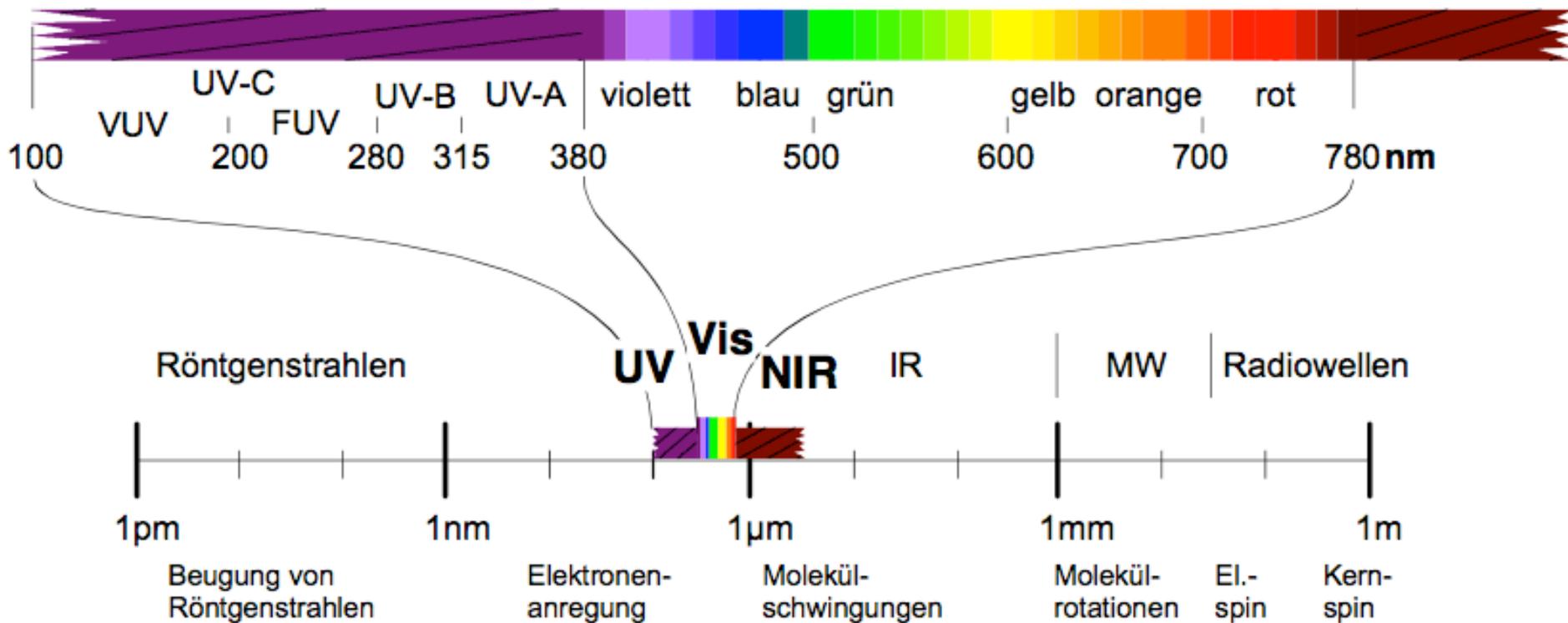
scattering

- elastic (Rayleigh, Mie) ν
- inelastic (Raman) $\nu \pm \nu_i$

emission ν_e

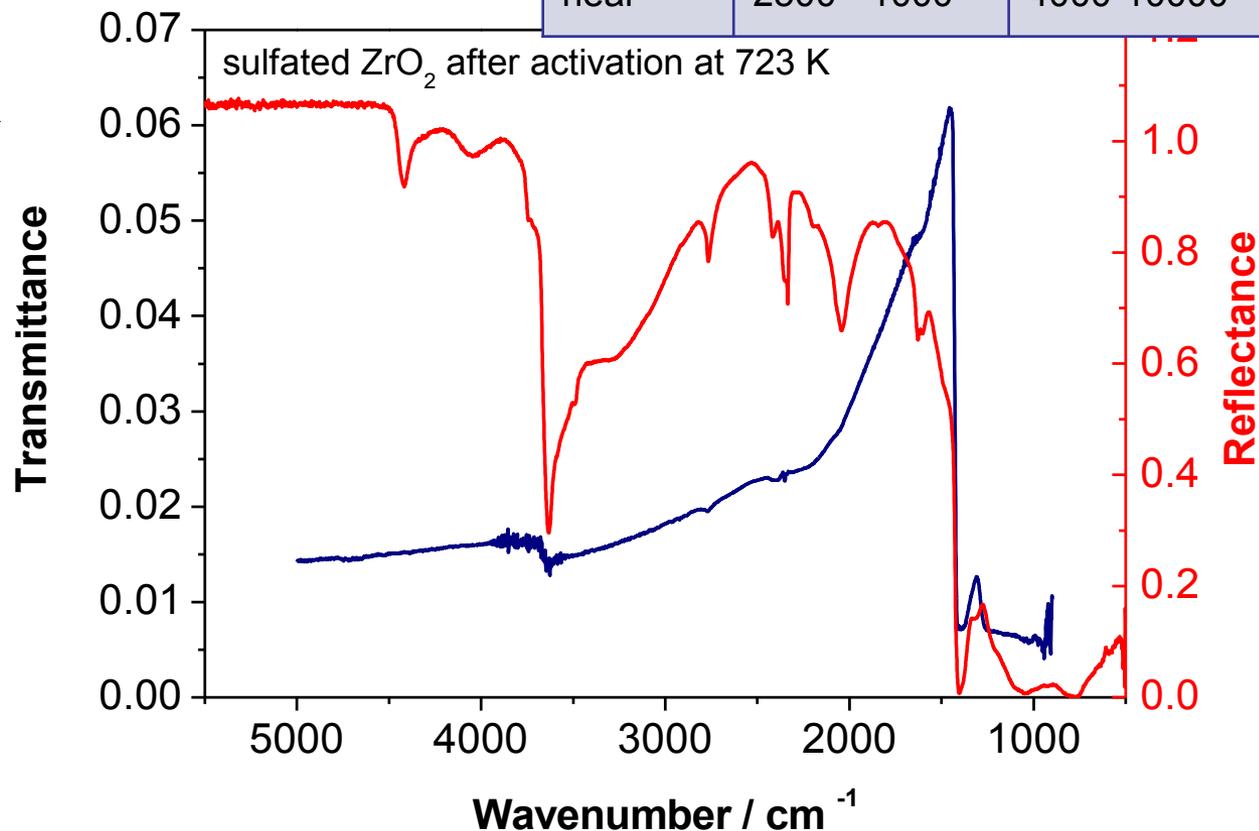
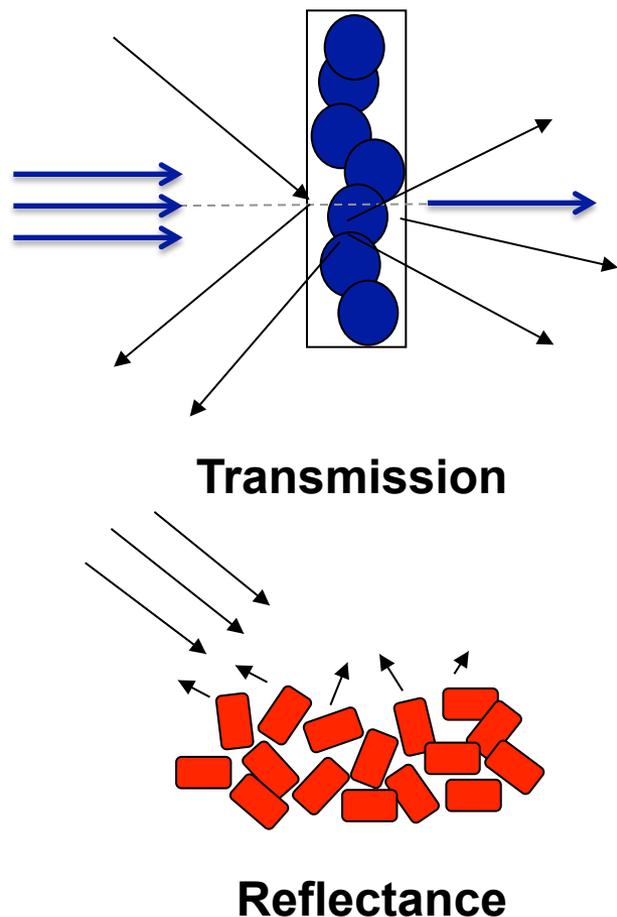
$$I_0 = I_r + I_s + I_a + I_e$$

Electromagnetic spectrum: wavelength



IR spectroscopy of powders

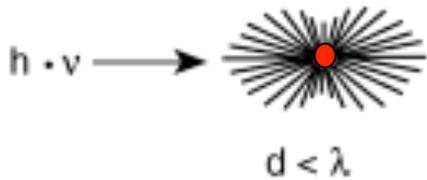
Infrared region	Wavelength (nm)	Wavenumber (cm ⁻¹)
far	1x10 ⁶ - 5x10 ⁴	10-200
mid	5x10 ⁴ - 2500	200-4000
near	2500 - 1000	4000-10000



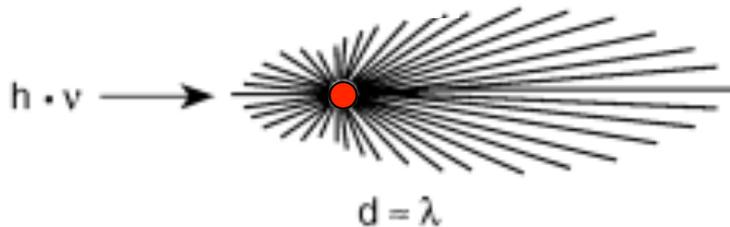
- Scattering is considerable for colloids and solids when the wavelength is in the order of magnitude of the particle size – DRIFTS beneficial
- Transmission provides advantage in terms of quantification

Single scattering and particle size

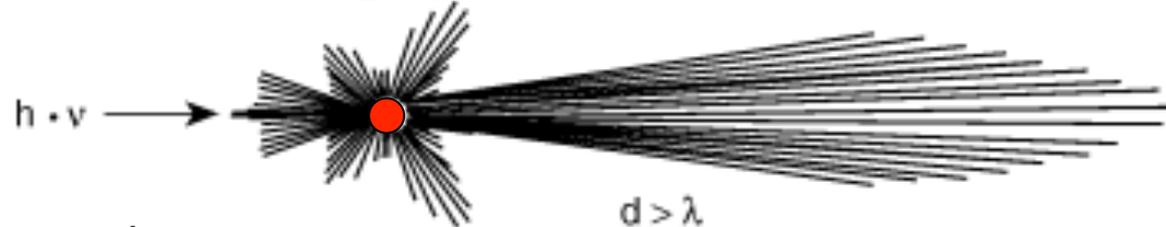
deflection of electromagnetic or corpuscular radiation from its original direction



$d < \lambda$: Rayleigh scattering
isotropic distribution
wavelength dependent: $I_s \sim 1/\lambda^4$



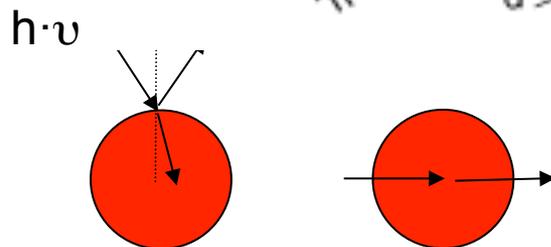
$d = \lambda$: Mie scattering
in forward and backward directions
wavelength independent



$d > \lambda$: Mie scattering
predominantly in forward direction
wavelength independent

Mie Theory:

- Isotropic particles
- Not in contact with each other
- Important in colloidal media



$d \gg \lambda$: Mie Theory approaches laws of geometric optics

Quelle: RÖMPP on line

Mid-IR (MIR)
Near-IR (NIR)
UV-vis

Wavenumber
3300 to 250 cm^{-1}
12500 to 3300 cm^{-1}
50000 to 12500 cm^{-1}

Wavelength
3 to (25-40) μm
(700-1000) to 3000 nm
200 to 800 nm

Specular and diffuse reflection

Reflection of radiant energy at boundary surfaces

mirror-type
(polished) surfaces

mat (dull, scattering)
surfaces

Specular

Diffuse

mirror-type reflection
mirror reflection
surface reflection
specular reflection
reguläre Reflexion
gerichtete Reflexion

multiple reflections at
surfaces of small
particles

reflecting power called
“reflectivity”

reflecting power called
“reflectance”



Diffuse reflection (DR)

Intensity of diffusely reflected light independent of angle of incidence

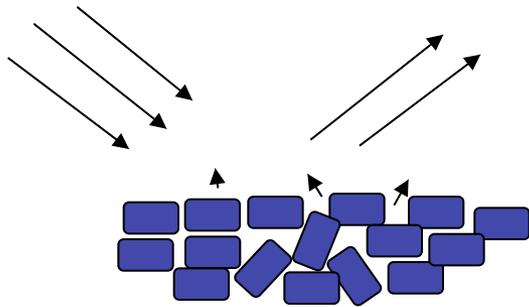
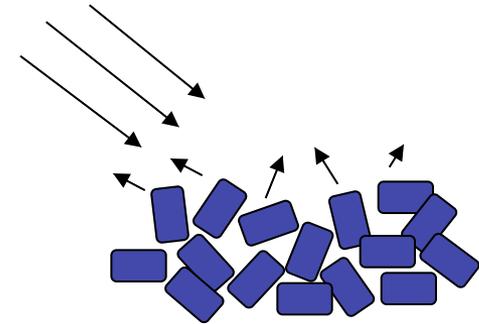
Result of multiple reflection, refraction, and scattering inside the sample

Randomly oriented crystals in a powder:
light diffusely reflected

Flattening of the surface or pressing of a pellet can cause orientation of the crystals, which are “elementary mirrors”

Causes “glossy peaks” if angle of observation corresponds to angle of incidence

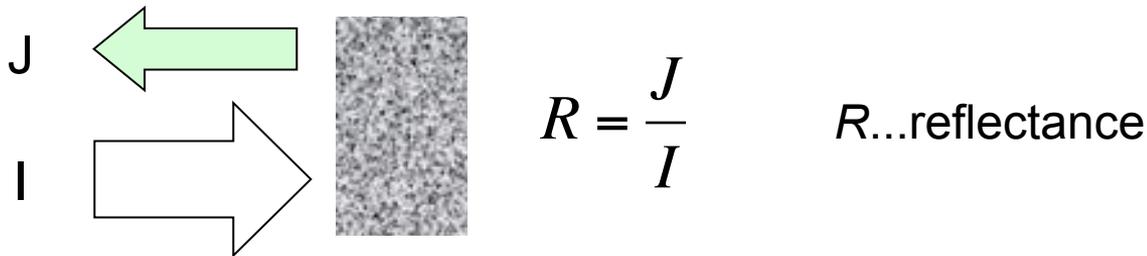
Can be prevented by dilution



Can we extract the absorption properties of our sample from the diffuse reflected light?

Theory of Diffuse Reflectance Spectroscopy (DRS)

- For analysis of the multiple scattered light, a phenomenological theory is used that allows separation of absorbance and scattering constants
- The spectrometer measures the Reflectance $R(\nu)$, which is **not** proportional to the concentration of the absorbing entity



2 constants are needed to describe the reflectance:

absorption coefficient	K	(function of the frequency)
scattering coefficient	S	(independent of frequency, but S increases with energy in case of fine powders $d < \lambda$, $I_s \sim 1/\lambda^4$)

Experimental condition: diffuse reflectance of a layer with **infinite thickness** R_∞

for $K \rightarrow 0$ (no absorption) $R_\infty \rightarrow 1$, i.e. all light reflected

for $S \rightarrow 0$ (no scattering) $R_\infty \rightarrow 0$, i.e. all light transmitted or absorbed

Quantification of DR spectra: Remission function

- The Schuster-Kubelka-Munk (SKM) model allows to obtain **quantitatively** the absorption spectrum of a solid from a diffuse reflectance measurement, provided a number of **experimental conditions** are fulfilled
- The diffuse reflectance of a layer with infinite thickness R_∞ is linked with the absorption coefficient K and the scattering coefficient S by the Schuster-Kubelka-Munk or remission function:

$$F(R_\infty) = \frac{(1 - R_\infty)^2}{2R_\infty} = \frac{K}{S}$$

Kubelka-Munk function

- The Kubelka-Munk function transforms the measured spectrum $R(\nu)$ into the absorption spectrum $K(\nu)$
- In the derivation of the Kubelka-Munk function, monochromatic radiation is assumed !
- The **“infinite thickness”** is generally obtained with a layer depth of 1-2 mm
- Strongly scattering powders (silica) require up to 5 mm

Quantification of DR spectra: Remission function

$$F(R_\infty) = \frac{(1 - R_\infty)^2}{2R_\infty} = \frac{K}{S}$$

$$\log F(R_\infty) = \log K(\lambda) - \log S$$

- A plot of $F(R_\infty)$ as a function of the extinction coefficient K , which is known from transmission measurements, should yield a straight line (confirmed **only** for weakly absorbing materials)

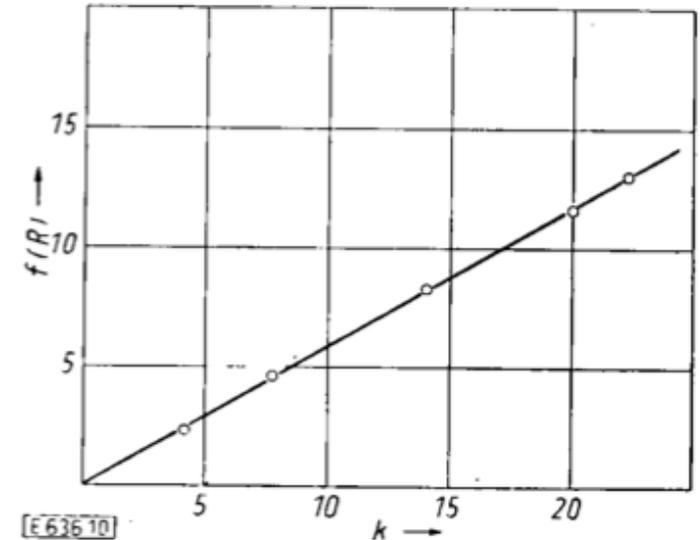


Abb. 10

$$K = \epsilon c \quad \rightarrow \quad \log F(R_\infty) = (\log \epsilon + \log c) - \log S$$

- The spectrometer measures R_∞'

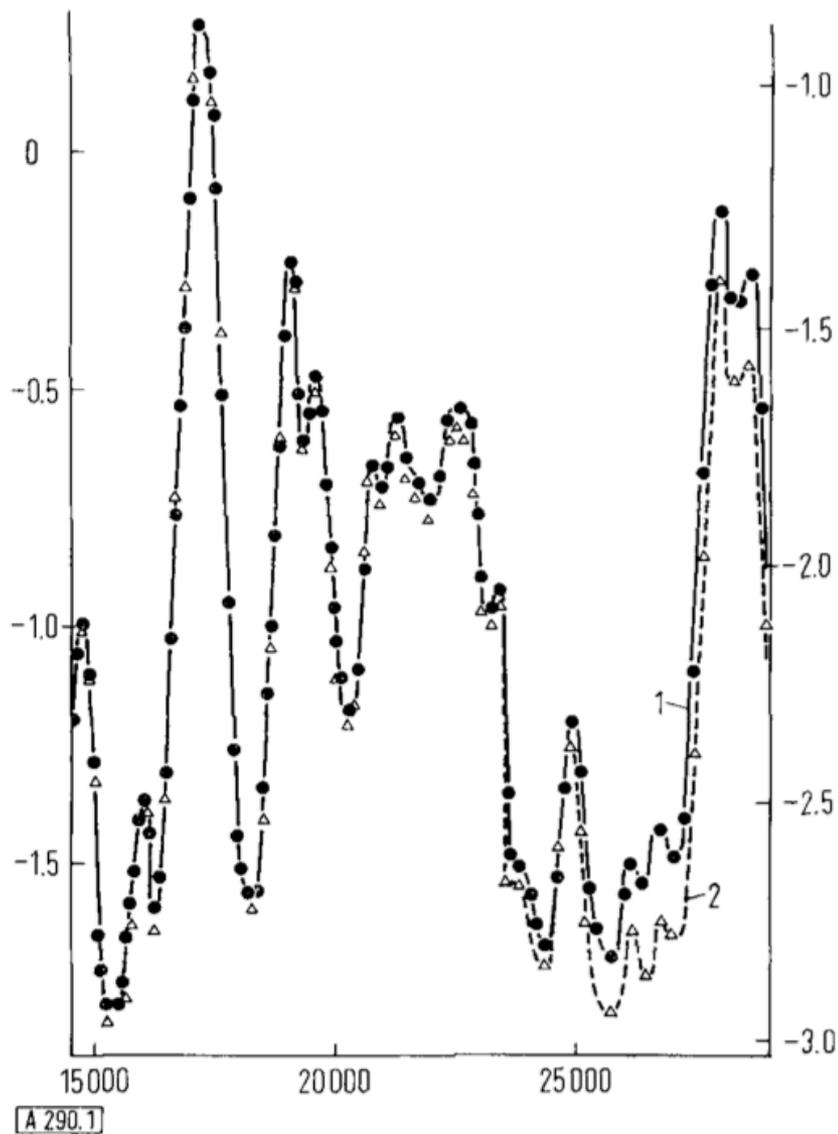
$$R_\infty' = R_\infty(\text{sample}) / R_\infty(\text{reference})$$

$$R_\infty' = R_\infty \quad \text{if} \quad R_\infty(\text{reference}) = 1 \quad (K \rightarrow 0)$$

No absorption of the reference, all light reflected!

Ideal property of white standard!

Characteristic color curves



Obtained by displacement in the ordinate direction by $-\log S$

$$\log F(R_{\infty}) = \log K(\lambda) - \log S$$

Fig. 1. Transmittance spectrum (Curve 1) and reflectance spectrum (Curve 2) of a didymium-glass filter. The transmittance spectrum was measured relative to quartz glass **0.5** mm thick, the reflectance spectrum relative to powdered colorless glass.

Ordinates: left (Curve 1): $\log E$.

right (Curve 2): $\log F(R_{\infty})$

Abscissa: Wavenumber [cm^{-1}].

Kortüm, G.; Braun, W.; Herzog, G., Principles and Techniques of Diffuse-Reflectance Spectroscopy. *Angewandte Chemie International Edition in English* 1963, 2 (7), 333-341.

Scattering coefficients

- The wavelength dependence of S can be estimated experimentally from the Kubelka-Munk function, if the related values of K are available from transmission measurements
- Here it is essential that the spectra be not altered by interactions due to solvation or adsorption

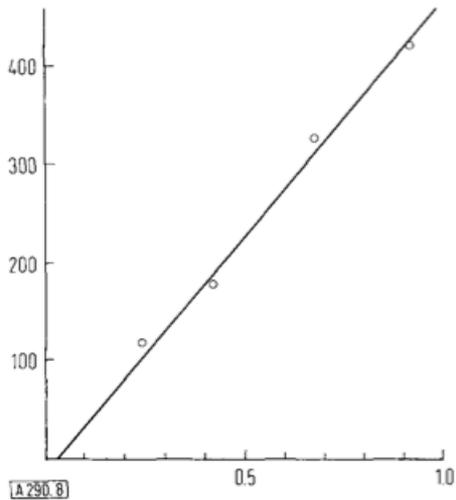


Fig. 8. Dependence of the scattering coefficient on grain-size, measured on the four samples described in Figure 7.

Ordinate: Scattering coefficient, s [cm^{-1}].

Abscissa: $1/\sqrt{d^2}$ [μ].

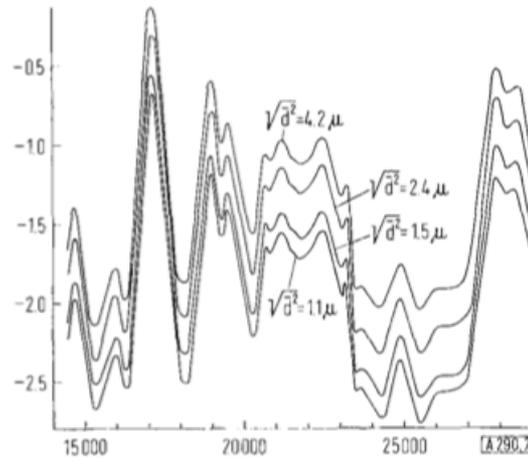


Fig. 7. Effect of grain-size (root-mean-square grain-diameter) on the reflectance spectrum of a pulverized didymium-glass filter, measured against MgO.

Ordinate: $\log F(R_{\infty})$.

Abscissa: Wave number [cm^{-1}].

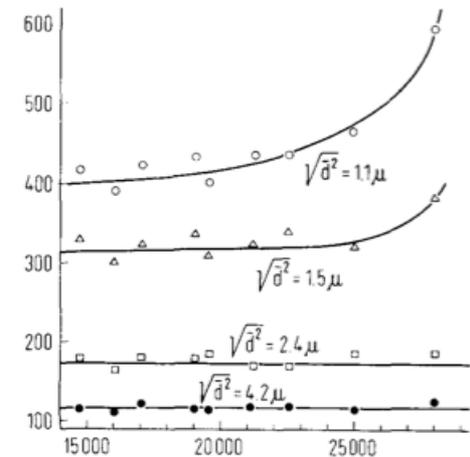


Fig. 9. Dependence of the scattering coefficient on wavelength, for various grain-sizes. Measured on the four samples described in Figure 7.

Ordinate: Scattering coefficient, s [cm^{-1}].

Abscissa: Wave number [cm^{-1}].

Kortum, G.; Oelkrug, D.

UBER DEN STREUKOEFFIZIENTEN DER KUBELKA-MUNK-THEORIE

Zeitschrift für Naturforschung, 1964, A 19 (1), 28-37.

Scattering coefficients $S \propto \nu^{-\alpha}$

Kortum, G.; Oelkrug, D.

UBER DEN STREUKOEFFIZIENTEN DER KUBELKA-MUNK-THEORIE

Zeitschrift für Naturforschung, 1964, A 19 (1), 28-37.

Untersuchte Stoffe	Spez. Oberfl. nach BET [m ² /g]	mittlere Korngröße [μ]	Herstellung und Vorbehandlung	Meßgrößen	Potenz α der Wellenzahlabhängigkeit v. S ($S = \text{const. } \nu^{-\alpha}$)	
Aerosile®	376 294 196 106 38	0,01 0,015 0,02 0,04 0,08	1 ^h bei 600°C erhitzt	$T_{1,2,3}, R_{\infty}$	3,6 3,5 3,2 3,0 2,6	Korngröße < λ
Calciumfluorid SiO ₂ -Al ₂ O ₃ Crack-Katalysator	520 (innere Oberfl.)	$\cong 0,2$ 0,2 – 0,4	gefällt 2 ^h bei 600°C erhitzt 20 ^h gemahlen	$T_{1,2}, R_{\infty}$ $T_{1,2}, R_{\infty}$	$\cong 1$ $\cong 1$	Korngröße $\cong \lambda$
Natriumchlorid p. a.	8	$\cong 0,4$	2 ^h bei 600°C erhitzt 12 ^h gemahlen	R_0, R_{∞}	$\cong 1$	
Magnesiumoxid		0,1 – 0,2	auf schwarzen Untergrund aufgeraucht	R_0	$\cong 1$	
Quarzpulver		5, 10	Zermahlen von Quarzglas	R_0, R_{∞}	< 1	
Glaspulver		2,5, 3, 7, 15	Zermahlen von Fensterglas	R_0, R_{∞}	$\cong 0$	Korngröße > λ
Natriumchlorid pulv. subt.		15–25	2 ^h bei 400°C erhitzt	R_0, R_{∞}	$\cong 0$	
Farbglas BG 23 (SCHOTT u. Gen.)		$\cong 5$	Zermahlen	$T_{1,2}, R_{\infty}$	< 1	

Tab. 2. Meßgrößen und Eigenschaften der untersuchten Stoffe.

Quantification of DR spectra of powders: Summary

- The wavelength dependence of S can be estimated experimentally from the Kubelka-Munk function, if the related values of K are available from transmission measurements (here it is essential that the spectra be not altered by interactions due to solvation or adsorption)
- The scattering coefficient of the standard has to be independent of the wavenumber in the spectral range used (or the wavelength dependence of the scattering coefficient has to be measured)
- The remission function is proportional to K **only if S is independent of λ**
→ **particle size!** (S increases with energy in case of fine powders $d < \lambda$); if $S = f(\lambda)$:
 - The relative intensities of the bands are not true
 - Error due to apparent red-shift of bands
 - Reduced scattering due to very small particles favors deep penetration of the radiation into the sample (transmission)
 - Packing density matters
- Regular reflection parts needs to be eliminated through sufficiently high dilution of the sample with a white standard
- Reflectance values $R_\infty < 0.6$ should not be measured due to deviations from the Kubelka-Munk theory in case of higher absorption

DRS of adsorbed molecules

- The interaction between adsorbent and adsorptive can be studied as well using the same theory*
- When molecular species on the surface of a support are investigated, dilution with the support eliminates the particle size dependence of the absorption coefficient of the support
- Uncertainties regarding regular reflection are also eliminated
- Dilution can be a problem in in-situ experiments!

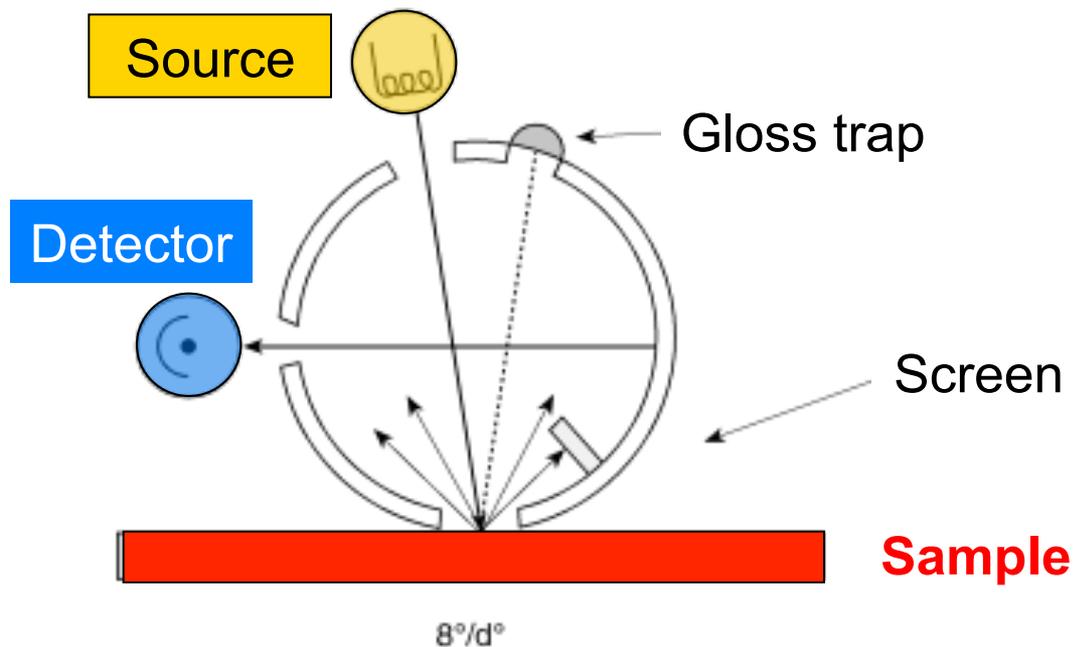
*Kortüm, G.; Braun, W.; Herzog, G., Principles and Techniques of Diffuse-Reflectance Spectroscopy. *Angewandte Chemie International Edition in English* 1963, 2 (7), 333-341.

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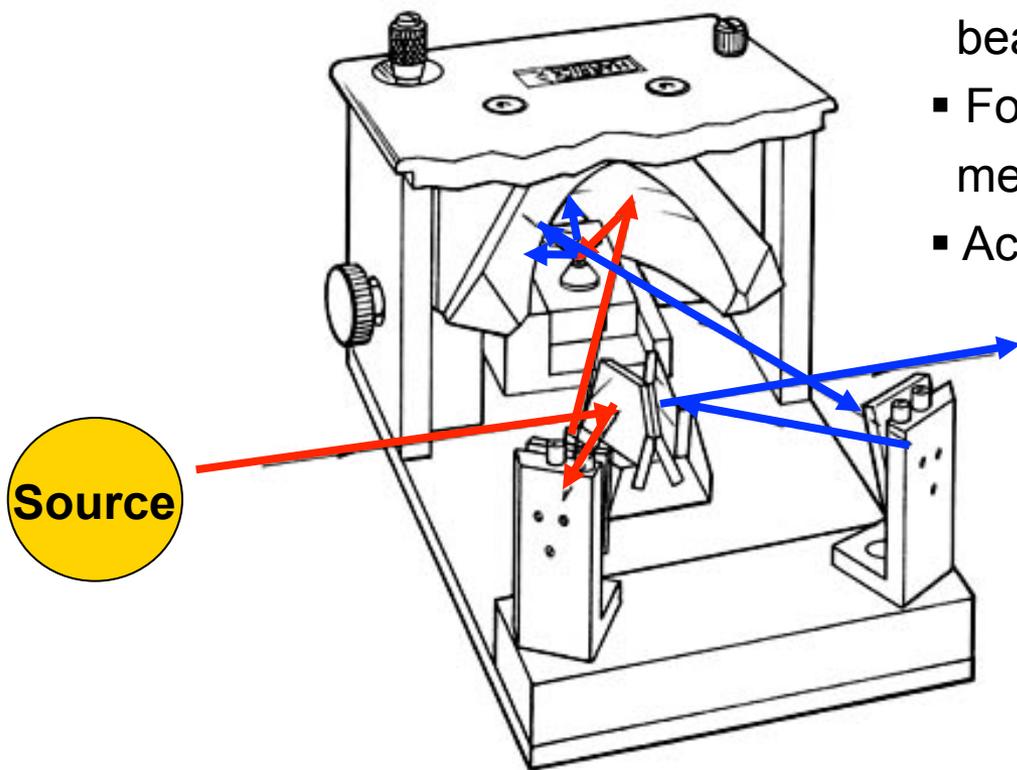
Integrating sphere



- the larger the sphere the smaller errors from the ports
- the larger the sphere the lower the intensity onto the detector
- typically 60-150 mm diameter
- coatings: BaSO_4 , Spectralon (for UV-vis), Au
- The flux onto the detector corresponds to **1%** of the incident flux or less

Mirror optical accessory for reflection spectroscopy

- Can be placed into the normal sample chamber (in line with beam), no rearrangement necessary
- For reference, consecutive measurement of white standard
- Accessory needs to be aligned



Detector

<http://www.harricksci.com/ftir/accessories/group/Praying-Mantis%E2%84%A2-Diffuse-Reflection-Accessory>

Specular reflection is strongest in forward direction
Collect light in off-axis configuration

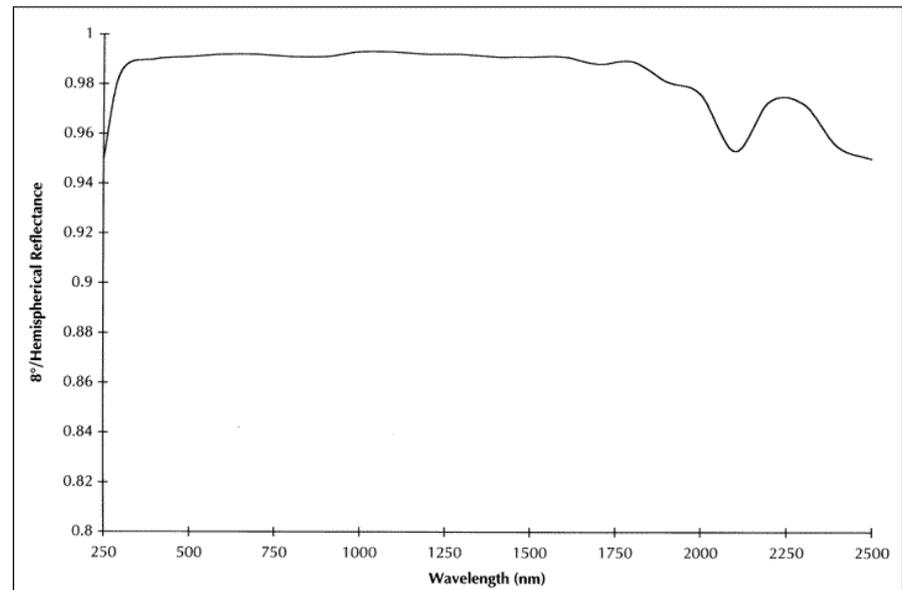
- First ellipsoidal mirror focuses beam on sample
- Second ellipsoidal mirror collects reflected light
- About **20%** of the diffusely reflected light is collected in the UV-vis

White standards

- BaSO₄: UV-vis
- MgO (not stable!): UV-vis
- Spectralon: UV-vis-NIR



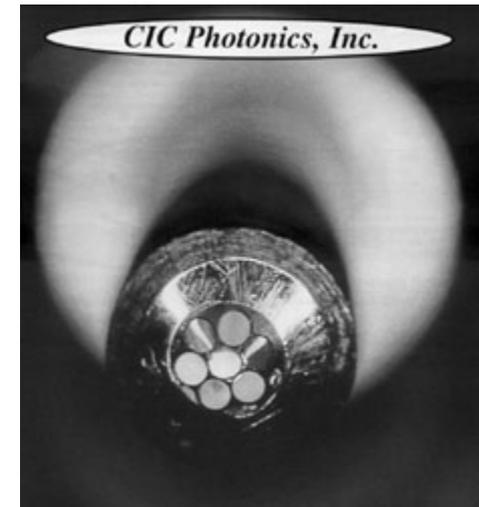
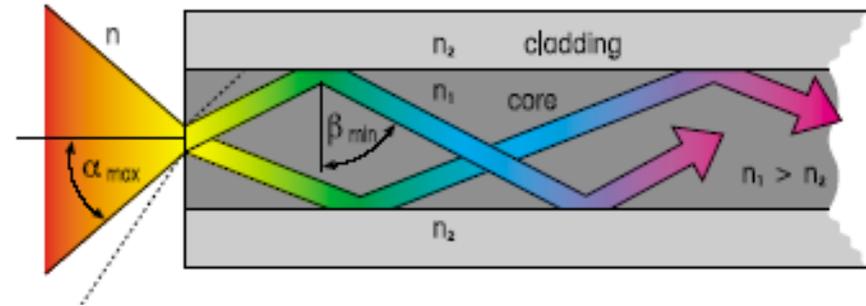
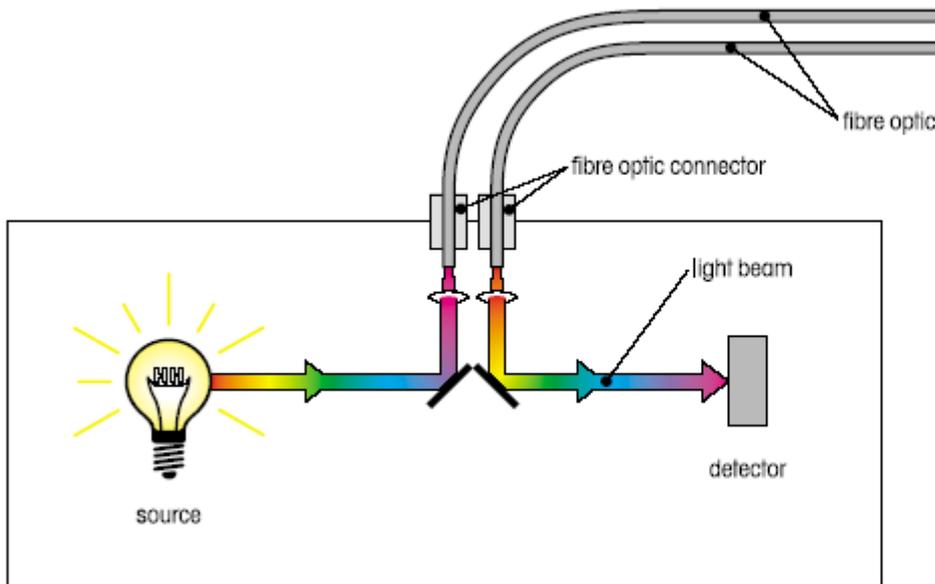
TYPICAL 8°/HEMISPHERICAL REFLECTANCE-OPTICAL GRADE SPECTRALON



Spectralon® thermoplastic resin, excellent reflectance in UV-vis region

Fiber optics for UV-vis

Can be integrated into normal reactors



- Fibers made of silica
- Light conducted through total reflectance
- Fiber bundle with 6 illumination fibers around 1 read fiber
- Arrangement avoids collection of specularly reflected light

<http://www.oceanoptics.com/Products/spectrometers.asp>

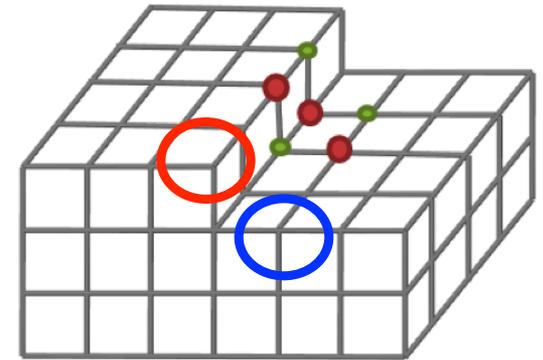
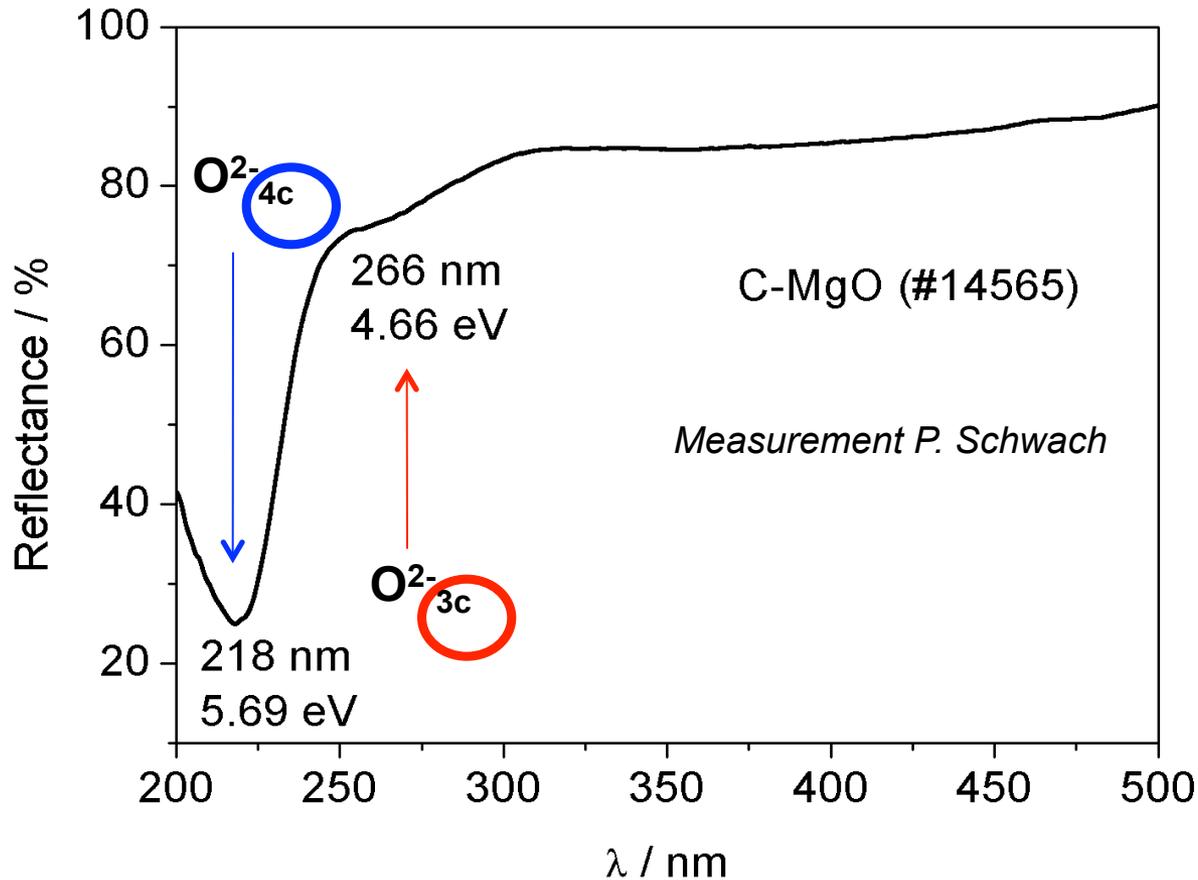
Images: Hellma (<http://www.hellma-worldwide.de>) and CICP (<http://www.cicp.com/home.html>)

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3. Applications

Insulating oxides – typical catalyst supports



P. Schwach *et al.*, *Journal of Catalysis* 329 (2015) 574–587.

E. Garrone *et al.*, *PHILOSOPHICAL MAGAZINE B* 42 (1980) 683.

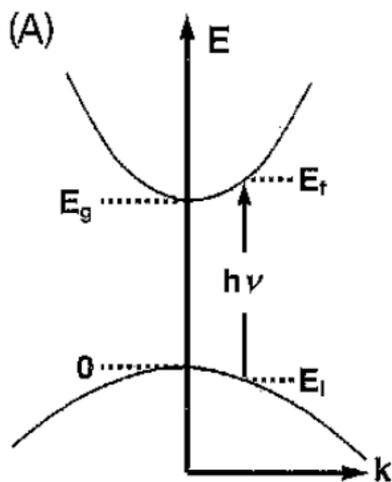
Semiconductor oxides – supports and bulk catalysts

TiO₂, ZrO₂, CeO₂, ZnO, SnO.

Fe₂O₃, V₂O₅, MoO₃, WO₃, Nb₂O₅, ...

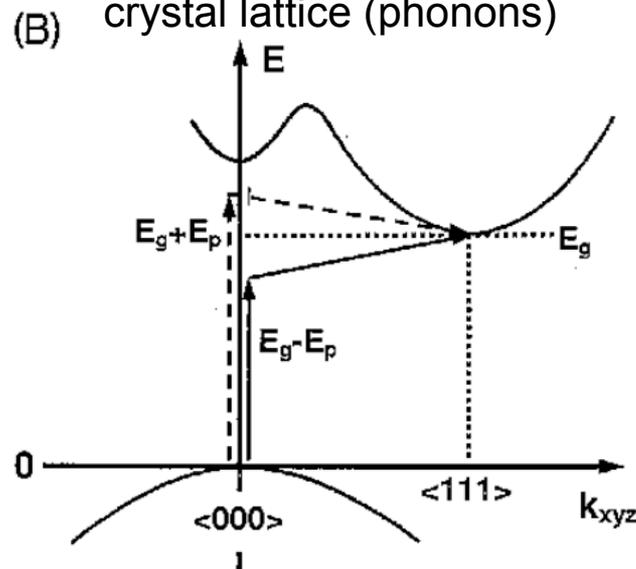
(A) Direct transition:

Photons excite electrons



(B) Indirect transition:

Excitation of electrons by photons assisted by concerted vibrations of the crystal lattice (phonons)



Determination of the edge energy

The **optical absorption edge energy** is defined as the minimum photon energy required to excite an electron from the highest occupied molecular orbital (HOMO, at the top of the valence band in semiconductor domains) to the lowest unoccupied molecular orbital (LUMO, at the bottom of the conduction band)

Figure 2.4 Energy versus momentum and possible interband transitions in: (A) a direct-gap two-band system and (B) a solid with conduction band valleys at $k = \langle 000 \rangle$ and $k = \langle 111 \rangle$. Adapted from ref. [26].

G. Martra et al., Chapter 2 in Metal Oxide Catalysis, Ed. by S.D. Jackson et al., Wiley-VCH, Weinheim, 2009.

Estimation of E_g from DRS

$$\alpha \propto \frac{(h\nu - E_g)^\eta}{h\nu}$$

$$(\alpha h\nu)^{\frac{1}{\eta}} \propto h\nu - E_g$$

Plot in in linear range:

$$y = A(x - B)$$

$$y = (\alpha h\nu)^{\frac{1}{\eta}}$$

$x = h\nu = \text{photon energy (eV)}$

$$x @ y = 0 = B = E_g$$

η in crystalline semiconductors:

$\eta = 1/2$ direct – allowed

$\eta = 3/2$ direct – forbidden

$\eta = 2$ indirect – allowed

$\eta = 3$ indirect – forbidden

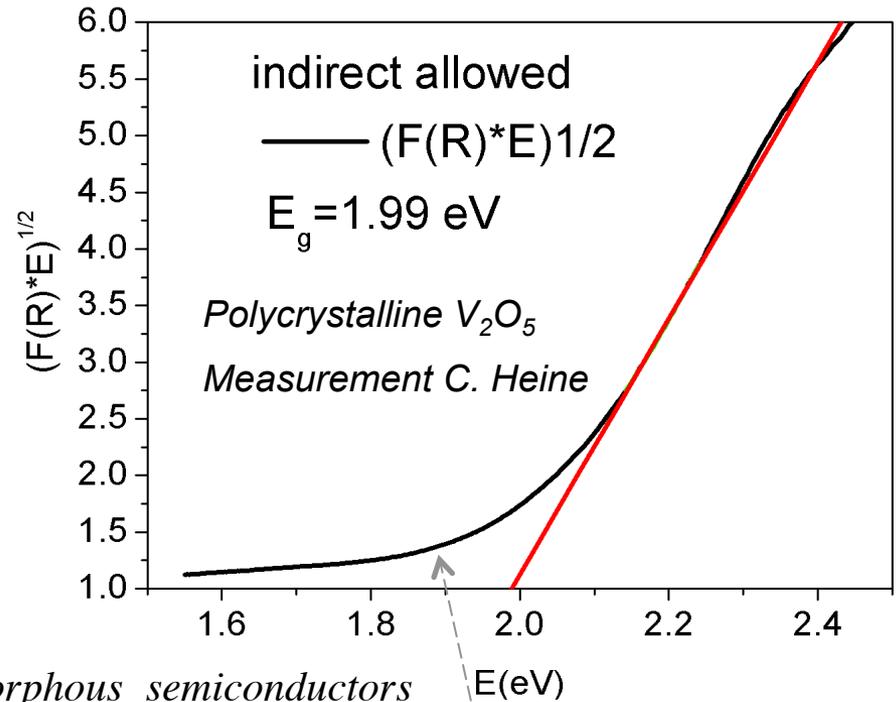
$\eta = 2$ amorphous semiconductors

α ...absorption coefficient in transmission – use $F(R)$ in DRS

$$F(R_\infty) = \frac{(1 - R_\infty)^2}{2R_\infty} = \frac{K}{S}$$

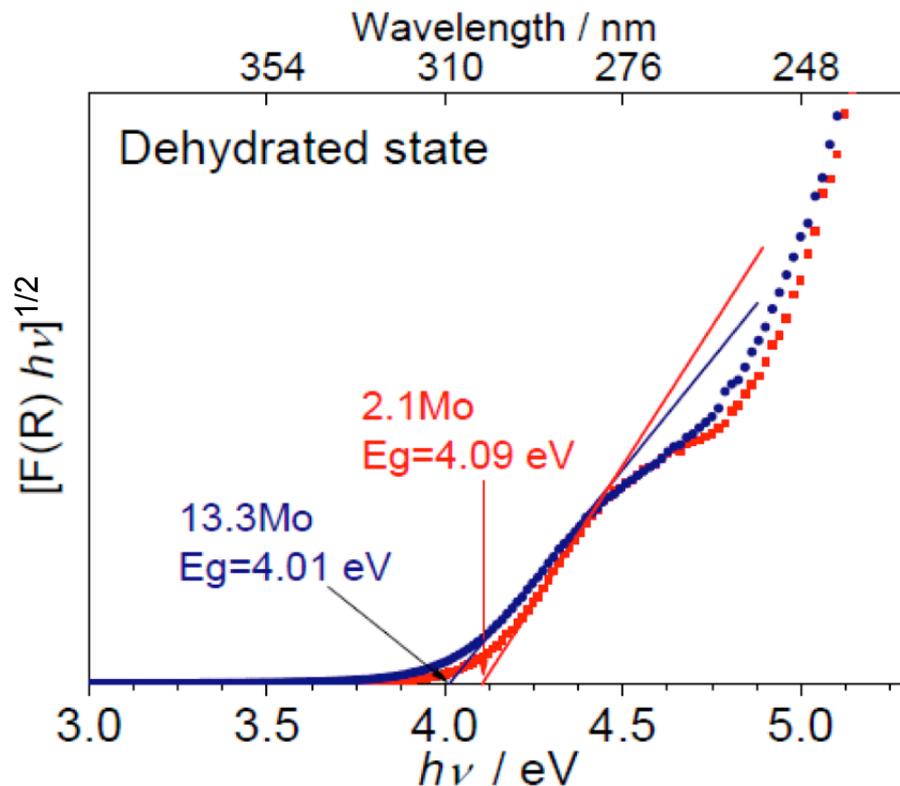
$$K \propto F(R_\infty) \text{ if } S = \text{const.}$$

D.G. Barton et al., J. Phys. Chem. B, 103 (1999) 630.



Urbach tail
“fluctuations in the
band gap”

Supported oxides – small surface domains

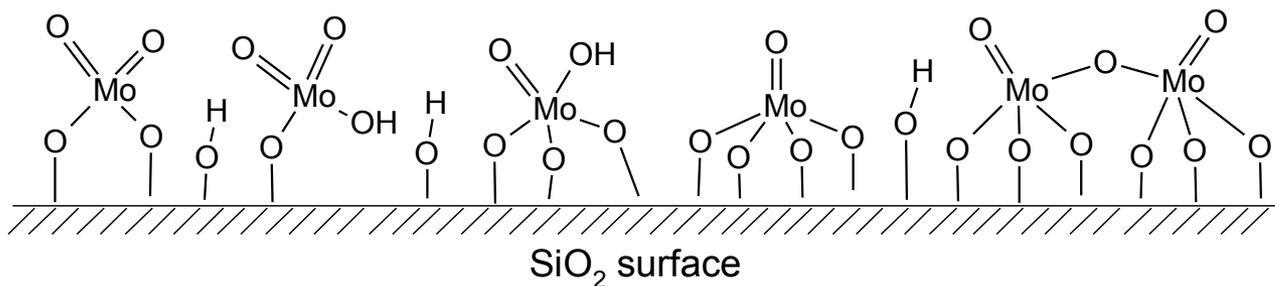


E_g of **three-dimensional** particles depends on

- Particle size (Q-size effect)
- Bonding geometry/structure

Supported metal oxides

- For small M_xO_y surface domains, the band theory does not apply, but analysis has shown that the broad distribution of energy levels in surface clusters can be treated like bands
- Spectrum requires deconvolution when different clusters are present



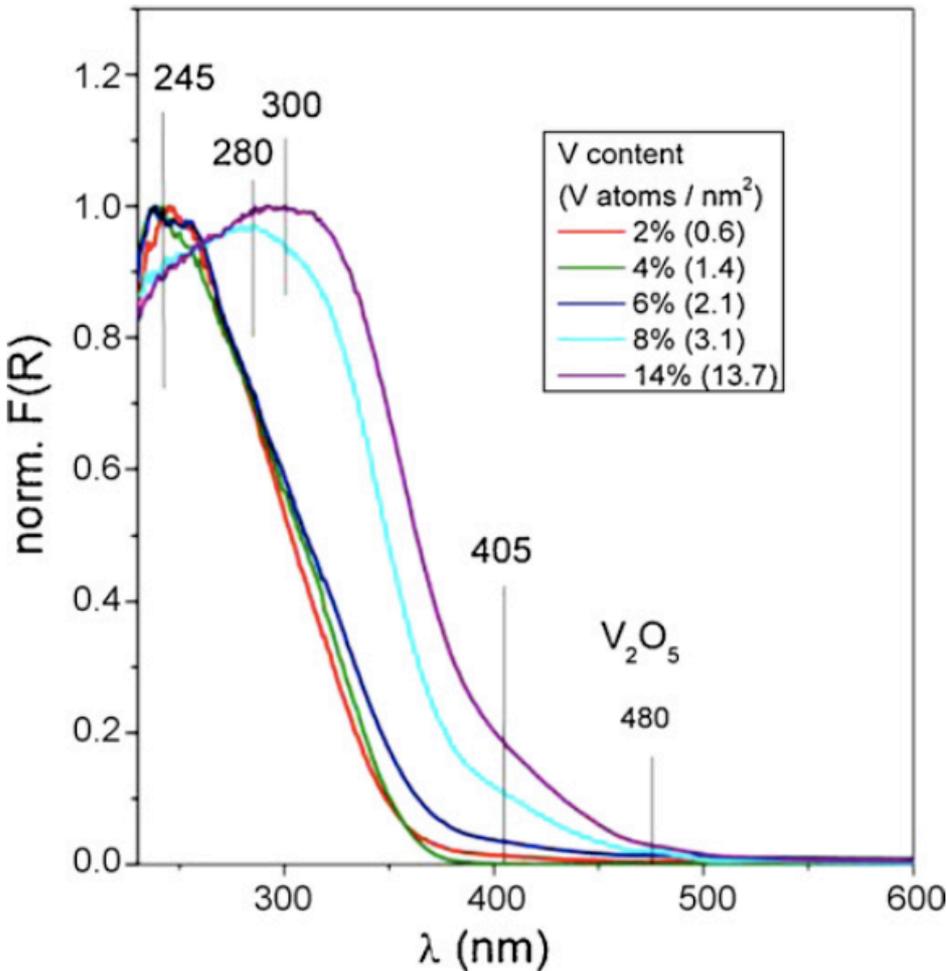
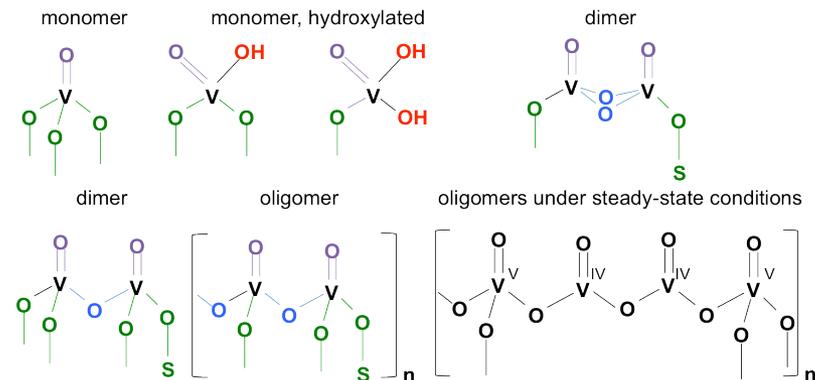
K. Amakawa *et al.*, *Angewandte Chemie International Edition* 2013, 52, 13553.

Highly dispersed vanadium oxide species - LMCT

TABLE 4: Band Maxima and Edge Energies of V-Reference Compounds

compounds	band max. (nm)	E_g (eV)	molecular structure ^a
V_2O_5	236, 334, 481	2.3	polymerized VO_5/VO_6
MgV_2O_6 (meta-vanadate)	250, 370	2.8	polymerized VO_6
$NaVO_3$ (meta-vanadate)	281, 353	3.2	polymerized VO_4
NH_4VO_3 (meta-vanadate)	288, 363	3.2	polymerized VO_4
$Mg_2V_2O_7$ (pyro-vanadate)	280	3.5	dimeric VO_4
$Mg_3V_2O_8$ (ortho-vanadate)	260, 303	3.5	isolated VO_4
Na_3VO_4 (ortho-vanadate)	253, 294	3.9	isolated VO_4

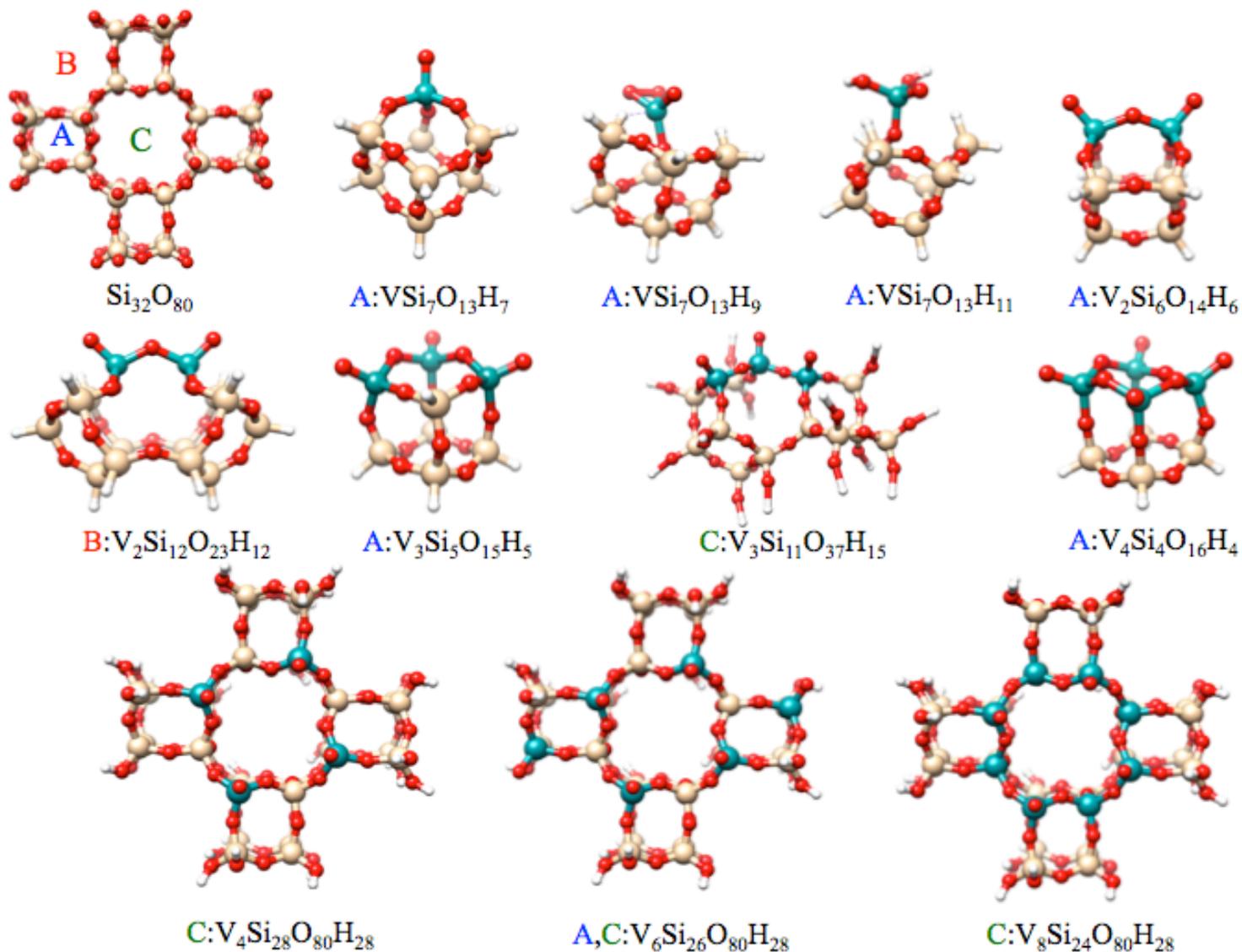
Gao et al., *J. Phys. Chem. B* 102 (1998) 10842.



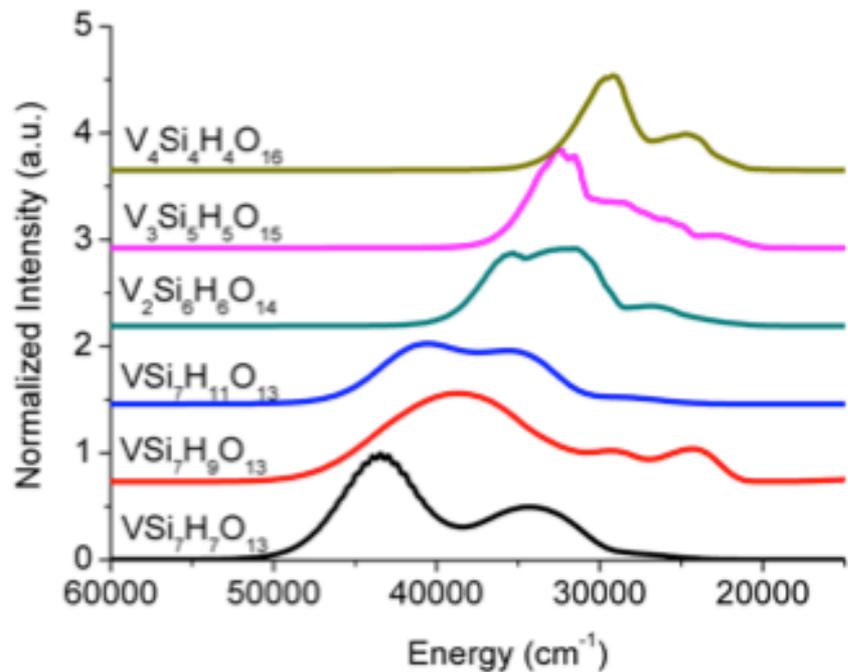
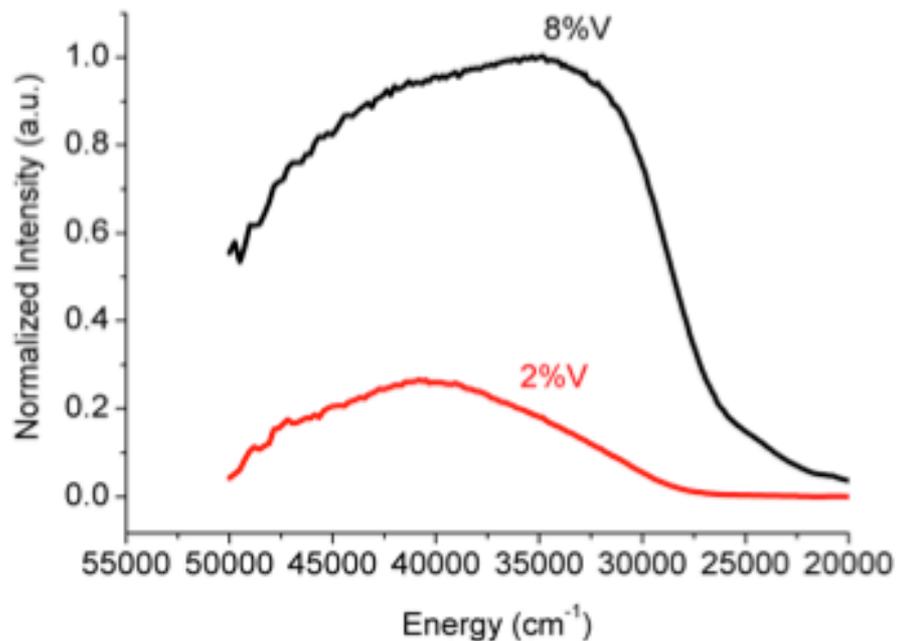
Isolated and polymerized V_xO_y ?

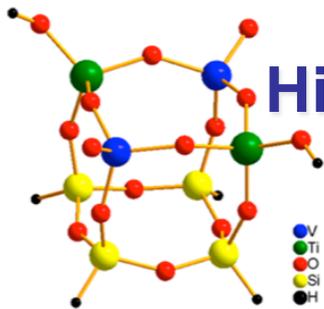
P. Gruene et al., *Catalysis Today* 157 (2010) 137.

Models of supported vanadium oxide species



Highly dispersed vanadium oxide species





Highly dispersed VO_x-TiO_x species - LMCT

(f) Ti₂V₂Si₄O₁₆H₆

N. Hamilton, *et al.*, *Catalysis Science & Technology* 2012, 2, 1346.
 S. Klokishner, *et al.*, *Journal of Physical Chemistry C*, 2014, 118, 14677.

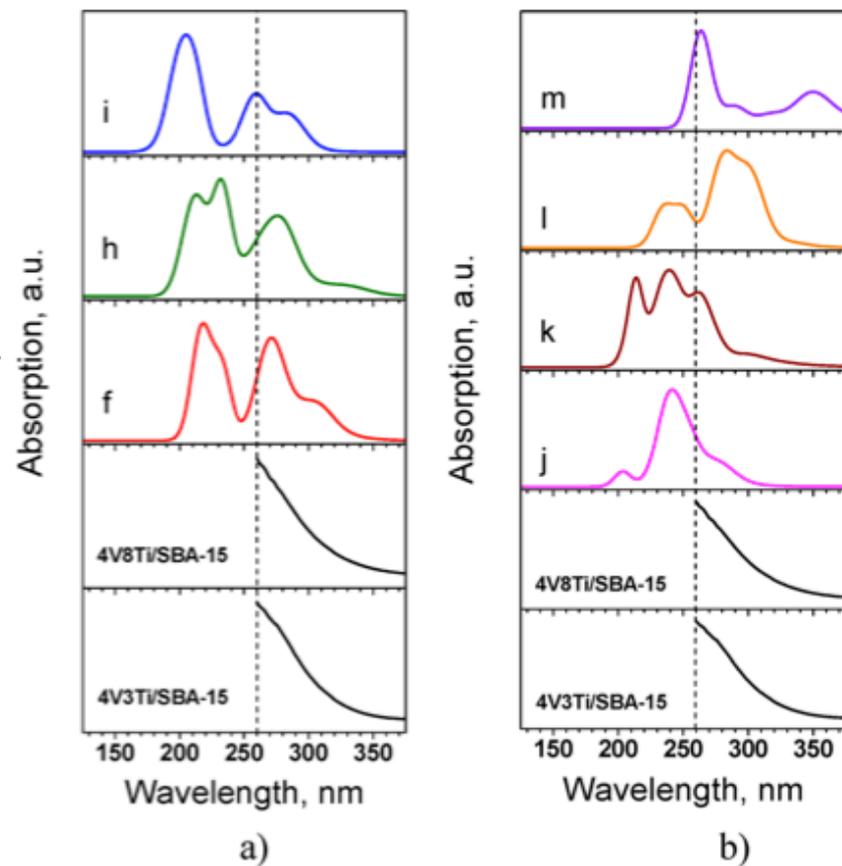
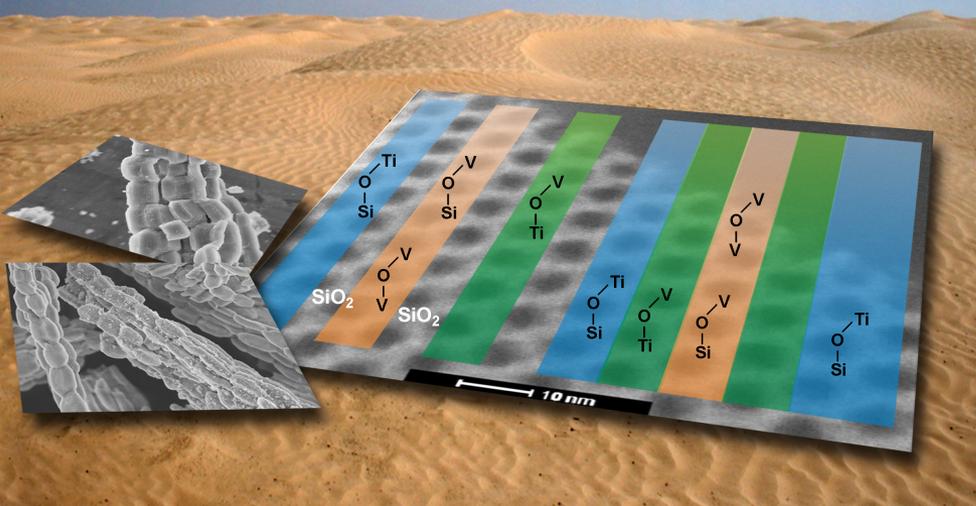
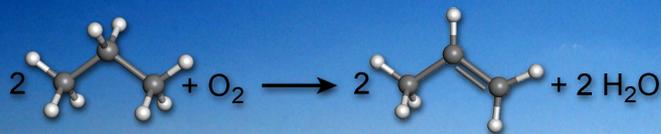
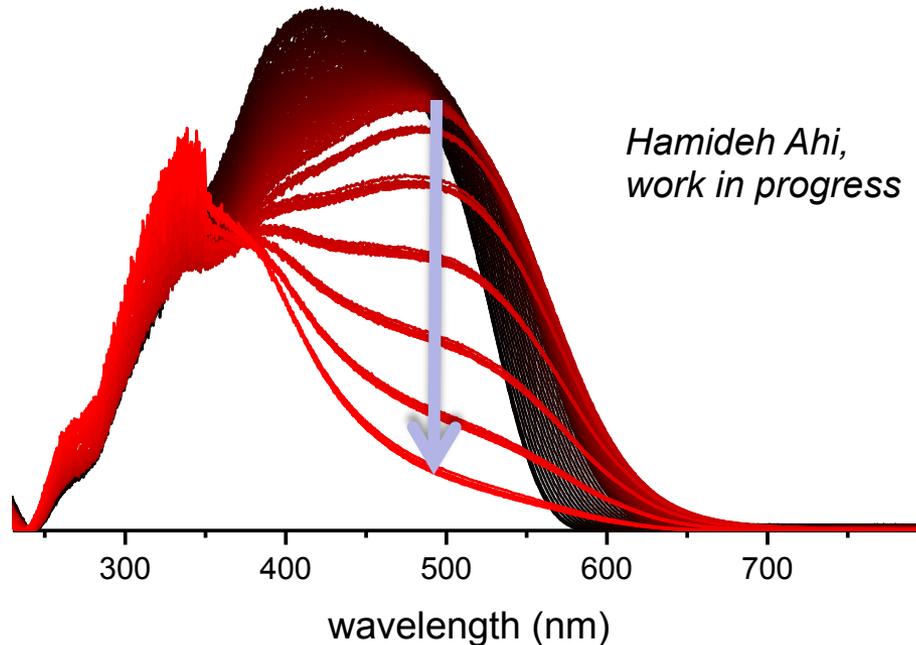


Figure 16. Calculated absorption spectra of species Ti₂V₂Si₄O₁₆H₆ (f), Ti₂V₂Si₄O₁₆H₆ (h), Ti₃VSi₄O₁₆H₇ (i), Ti₄VSi₄O₁₉H₉ (j), Ti₄V₂Si₄O₂₁H₈ (k), Ti₄V₃Si₄O₂₃H₇ (l), and Ti₄V₄Si₄O₂₄H₄ (m) and the observed apparent absorption spectra for 4V3Ti/SBA-15 and 4V8Ti/SBA-15. The numeration of species corresponds to that in Figure 4.

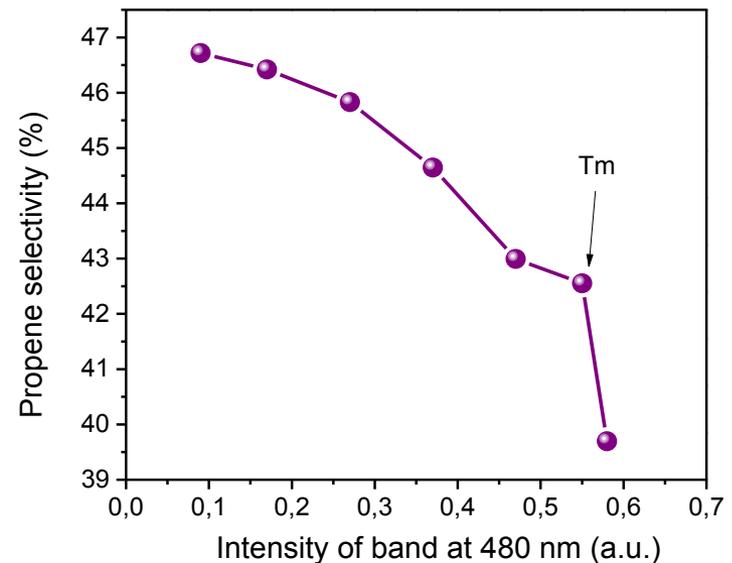
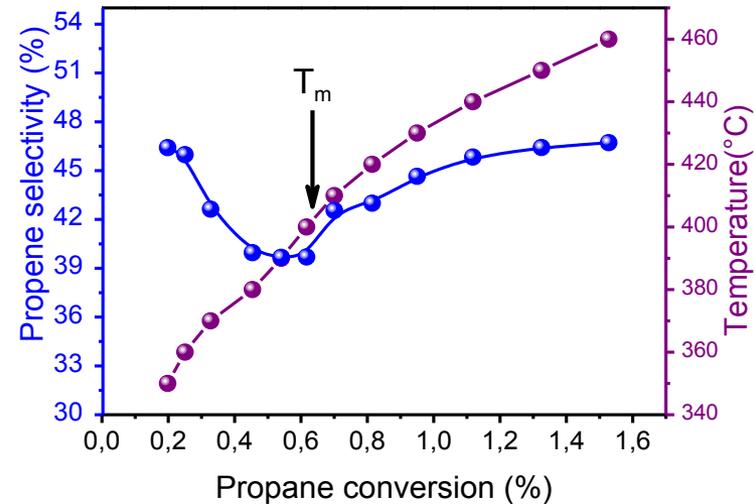
In-situ UV-vis: propane oxidation on $\text{K-V}_x\text{O}_y/\text{SiO}_2$

LMCT O-2sp \rightarrow V-3d

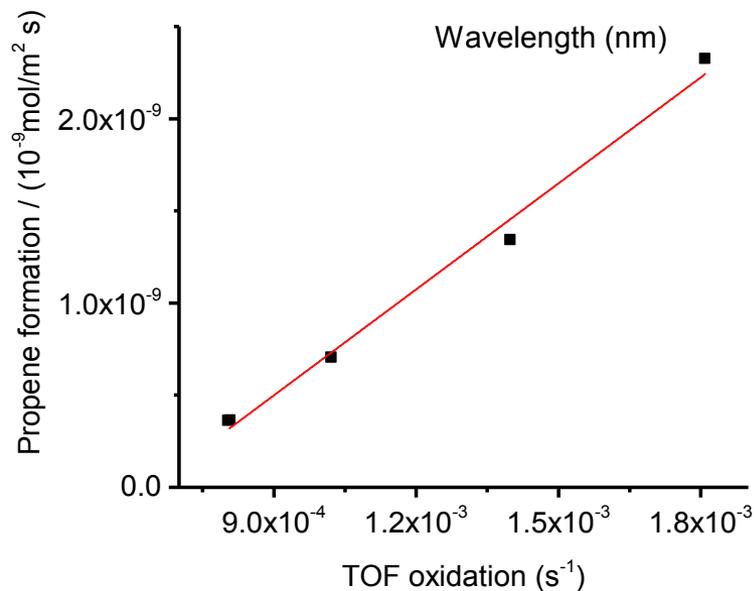
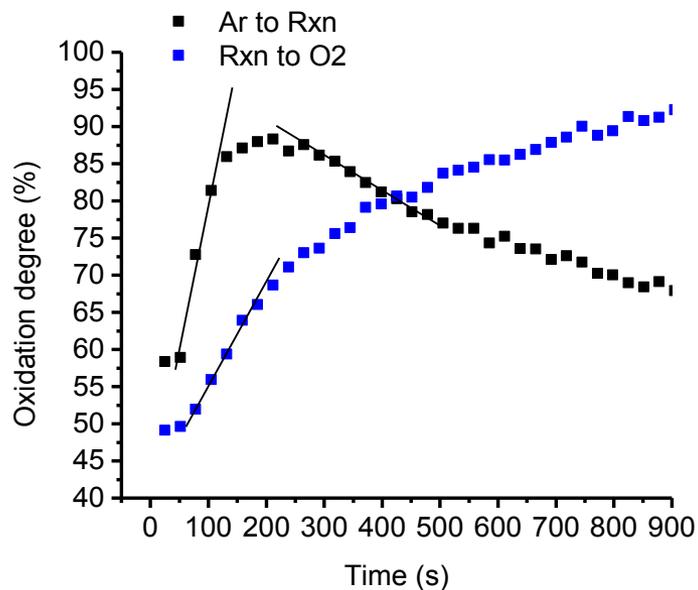
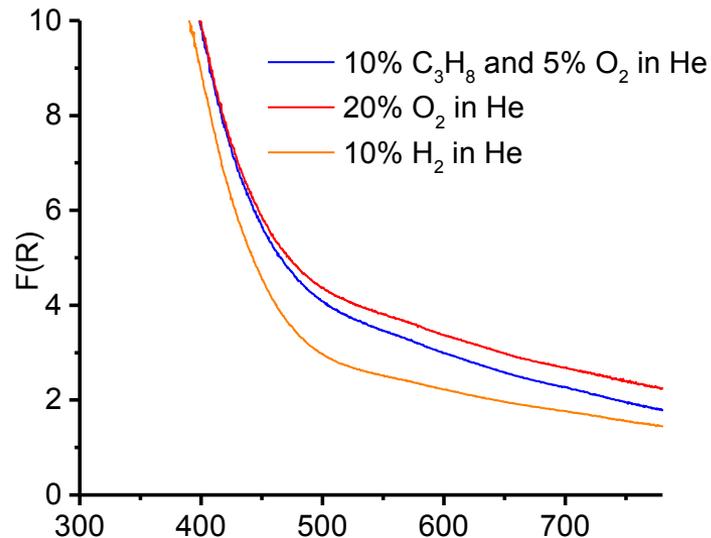
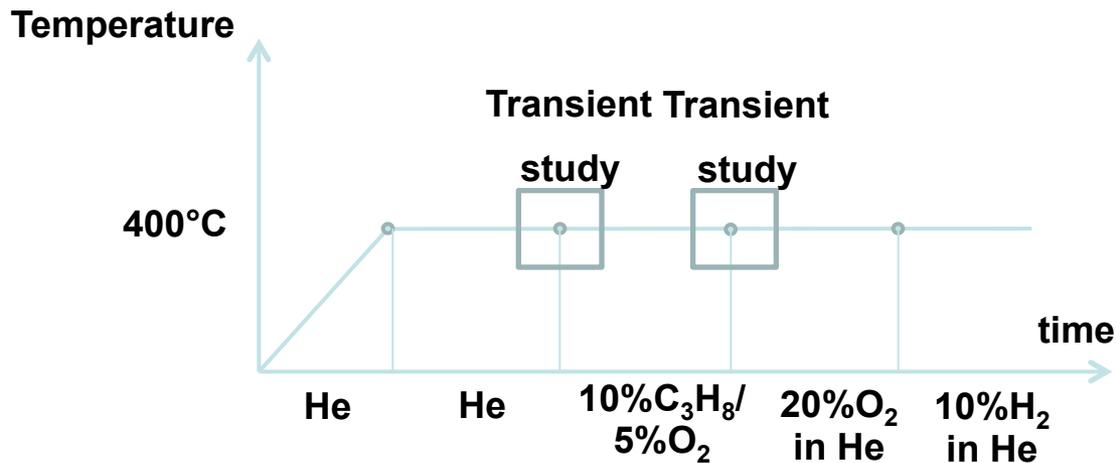


- UV-vis spectroscopy under operation clearly shows that the change in the local coordination of V from square pyramidal (VO_5) to tetrahedral* during melting is reflected in an increase in selectivity

* to be confirmed by theory



In-situ UV-vis: redox properties / propane oxidation



Conclusions



- Diffuse reflectance spectroscopy (in UV-vis and IR) is a useful techniques for characterization of heterogeneous catalysts and their precursors with respect to local and solid state structures
- The method provides information about, e.g., oxidation state, coordination number, coordination geometry, nature of chemical bonding, degree of condensation, particle size, band gap, nature and dynamics of surface and adsorbed species
- Theory is necessary for interpretation of the spectra
- The measurements are comparatively cheap and easy
- UV-vis-NIR spectroscopy can be performed in-situ or under operation
- Adsorption of probe molecules and characterization of bulk structure and surface functional groups can also be performed by Diffuse Reflectance Infrared Spectroscopy (DRIFTS) – not very much discussed in the present lecture

Further reading

1. G. Kortüm, “Reflectance Spectroscopy” / “Reflexionsspektroskopie” Springer, Berlin 1969.
2. S.D. Jackson, J.S.J. Hargreaves (Eds.), “Metal Oxide Catalysis”, Chapter 2, Wiley-VCH, Weinheim, 2009.
3. Advances in Catalysis, Volume 52, Chapter 1 and 3, Elsevier, Amsterdam 2009.
4. D. J. Dahm, K. D. Dahm, “Interpreting Diffuse Reflectance and Transmittance”, IM Publications, Chinchester 2007.
5. W. WM. Wendlandt, H.G. Hecht, “Reflectance Spectroscopy”, Interscience Publishers/John Wiley, NY 1966.

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